

Comparison of Encoding Schemes (2)

- Error detection

 Can be built in to signal encoding

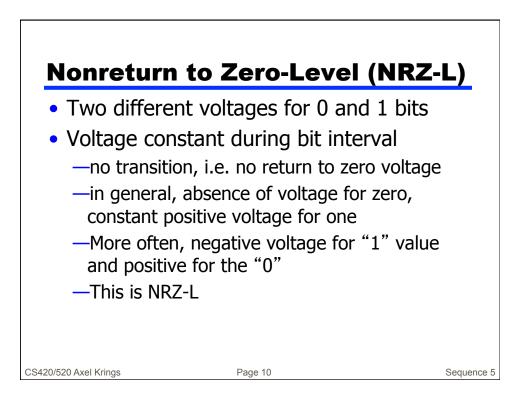
 Ciencel interference and points immunity
- Signal interference and noise immunity —Some codes are better than others
- Cost and complexity
 - Higher signal rate (& thus data rate) lead to higher costs
 - -Some codes require signal rate greater than data rate

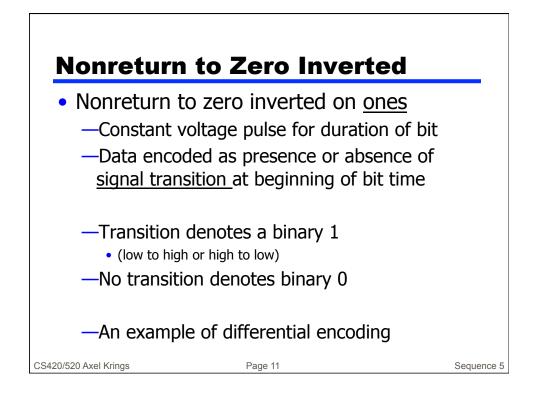
CS420/520 Axel Krings

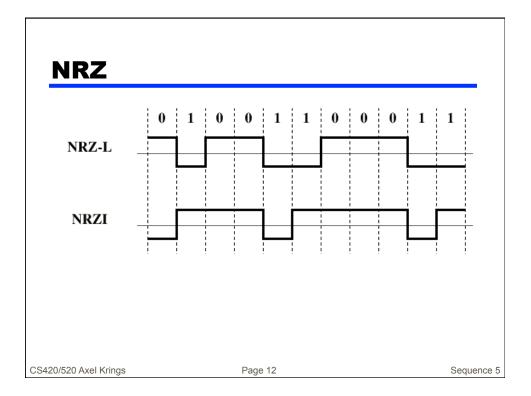
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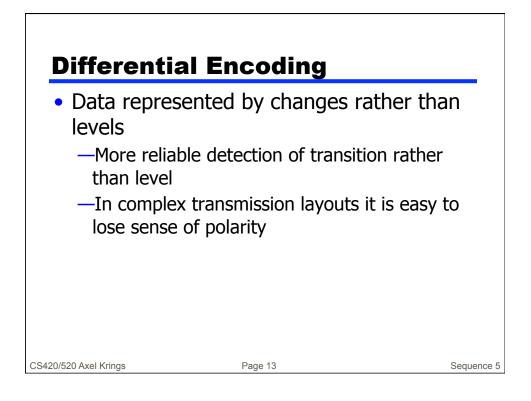
Sequence 5

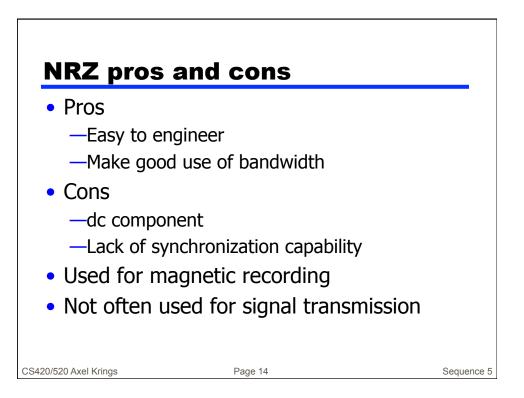
Encoding \$	Schemes	
 Nonreturn to 2 	Zero-Level (NRZ-L)	
• Nonreturn to 2	Zero Inverted (NRZI)	
 Bipolar -AMI 		
 Pseudoternary 	/	
Manchester		
Differential Manchester		
• B8ZS		
 HDB3 		
CS420/520 Axel Krings	Page 9	Sequence 5

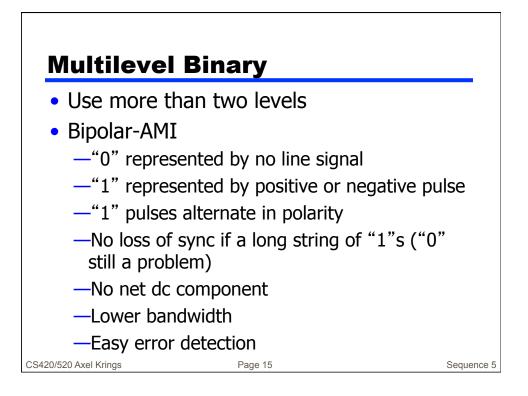


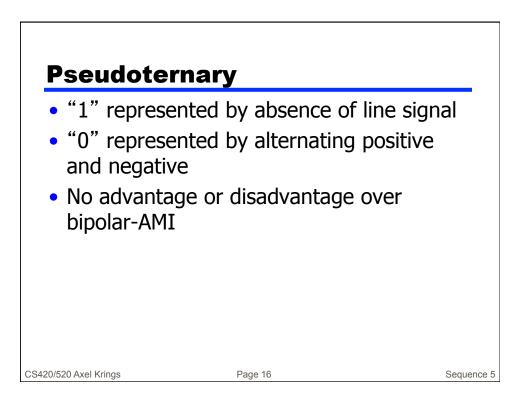


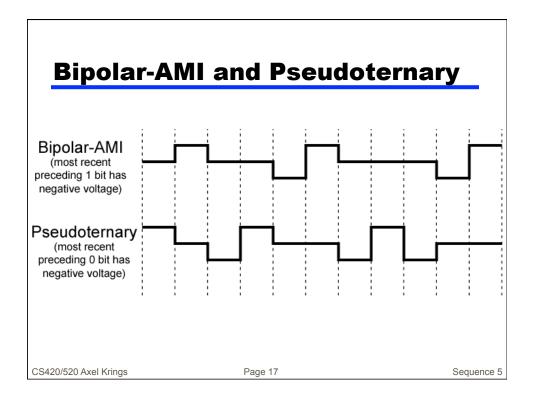


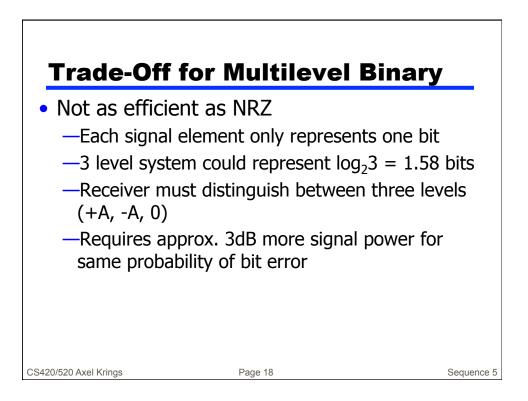


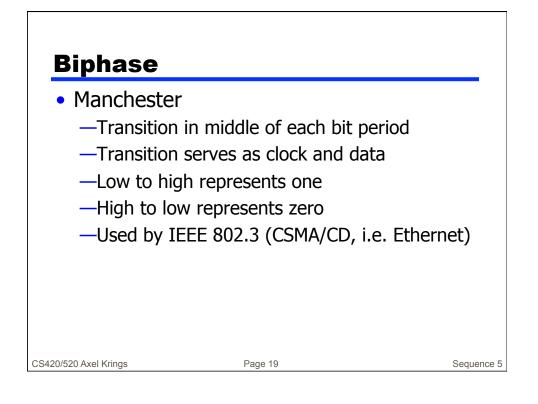


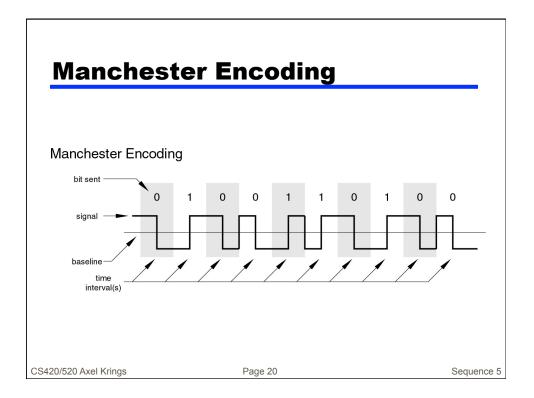


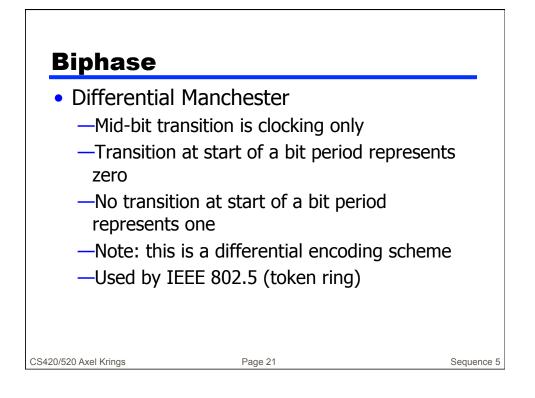


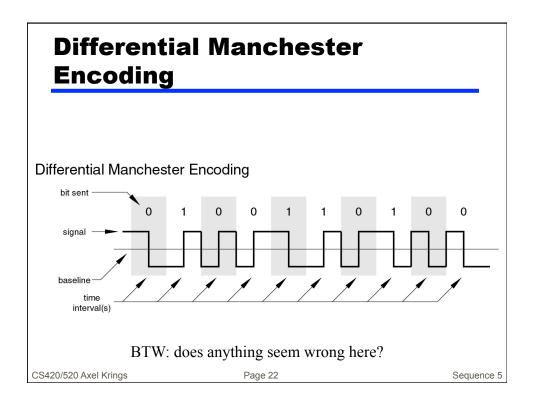


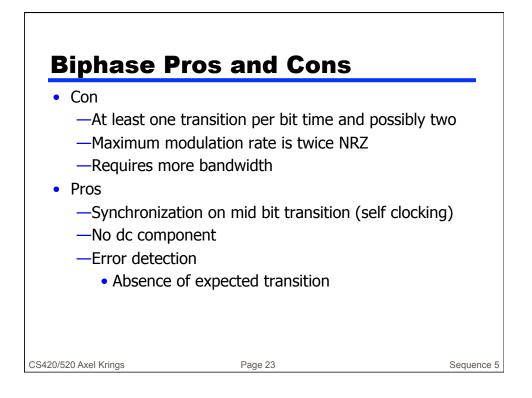


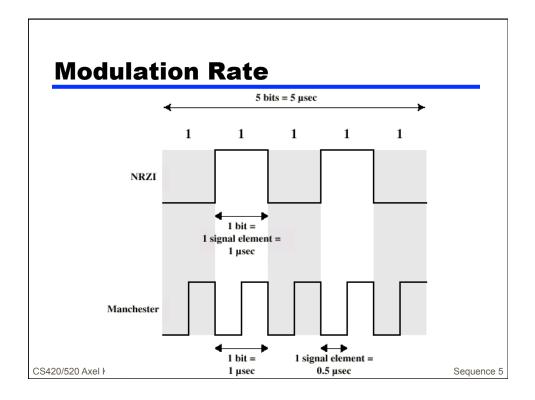


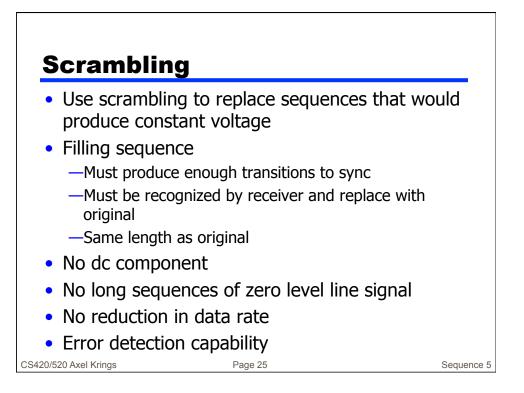


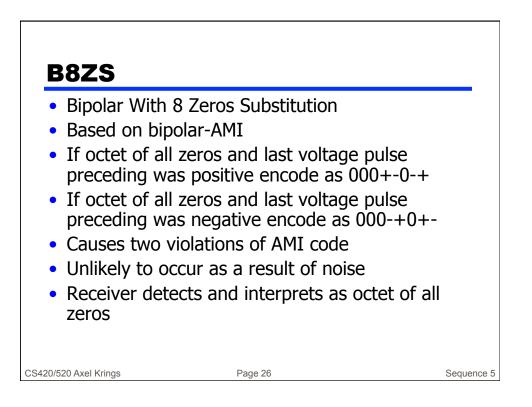


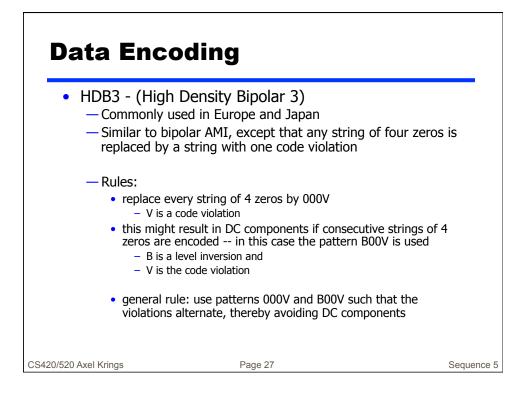


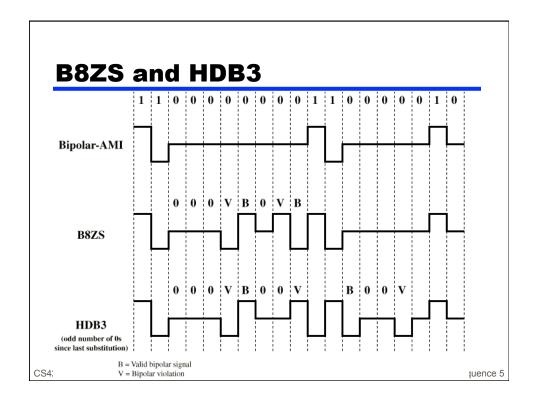


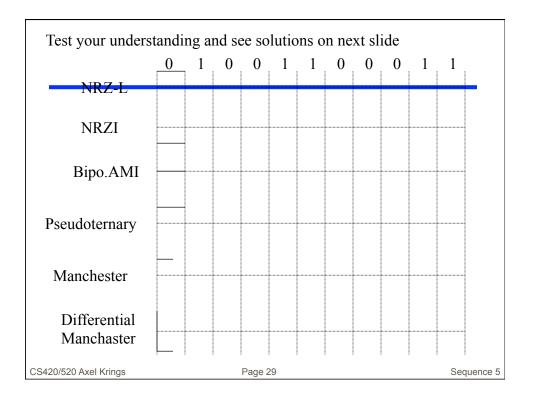


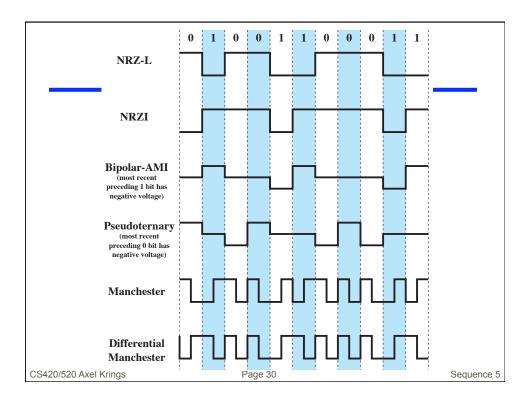


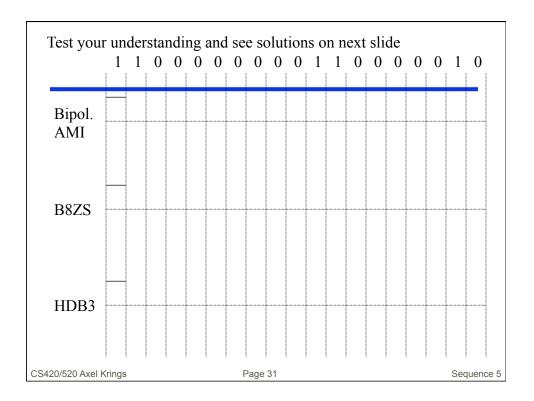


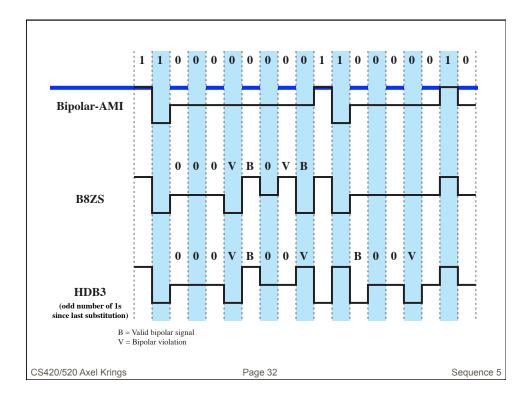


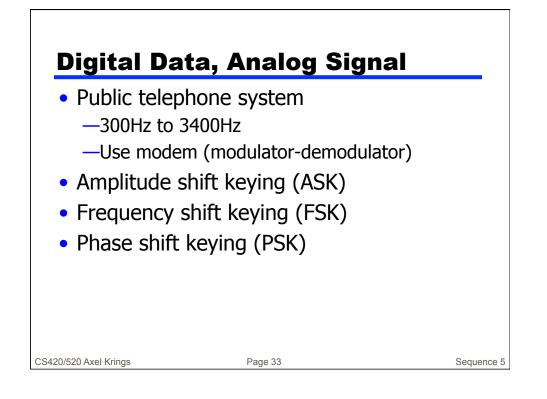


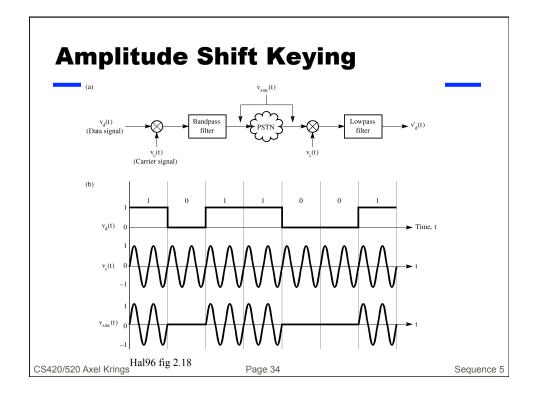


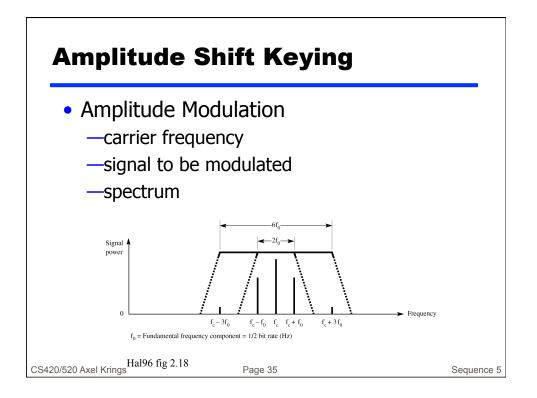




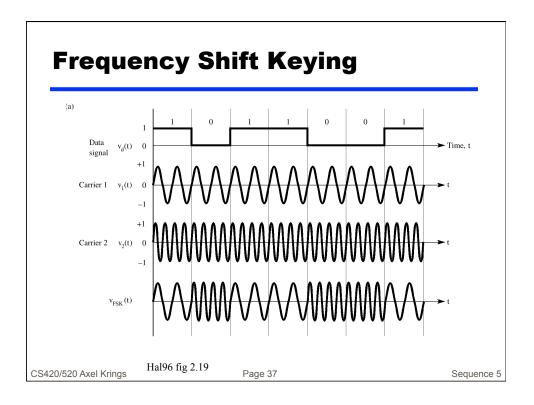


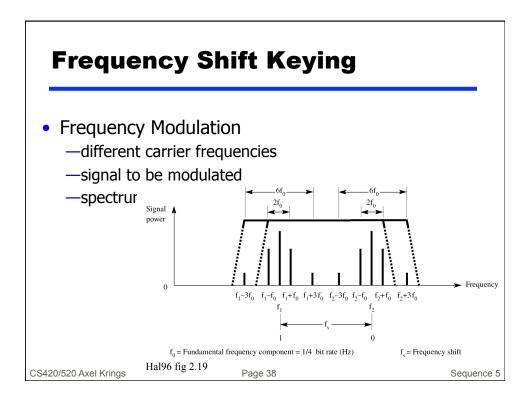


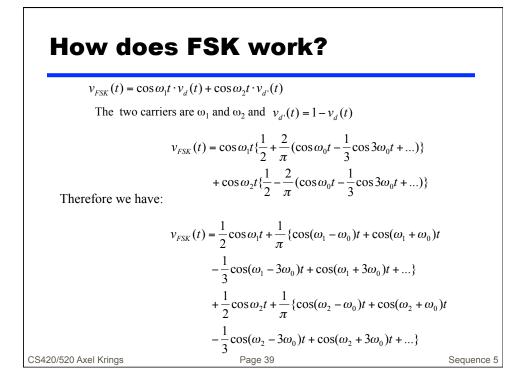


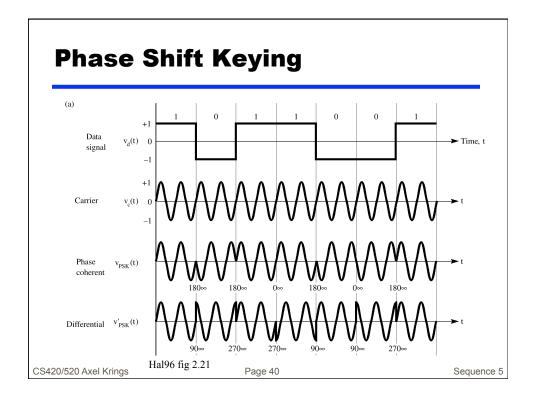


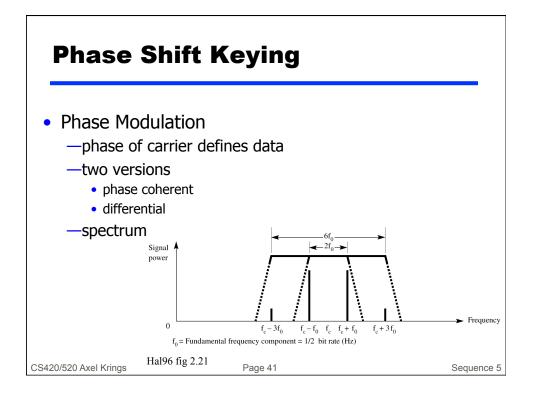
How does ASK work? $v_{c}(t) = \cos \omega_{c} t$ $v_{d}(t) = \frac{1}{2} + \frac{2}{\pi} \{\cos \omega_{0} t - \frac{1}{3}\cos 3\omega_{0} t + \frac{1}{5}\cos 5\omega_{0} t - ...\}$ $v_{ASK}(t) = v_{c}(t) \cdot v_{d}(t)$ $= \frac{1}{2}\cos \omega_{c} t + \frac{2}{\pi} \{\cos \omega_{c} t \cdot \cos \omega_{0} t - \frac{1}{3}\cos \omega_{c} t \cdot \cos 3\omega_{0} t + ...\}$ Now, we know that $2\cos A \cos B = \cos(A - B) + \cos(A + B)$ Therefore we have: $v_{ASK}(t) = \frac{1}{2}\cos \omega_{c} t$ $+ \frac{1}{\pi} \{\cos(\omega_{c} - \omega_{0})t + \cos(\omega_{c} + \omega_{0})t$ $- \frac{1}{3} [\cos(\omega_{c} - 3\omega_{0})t + \cos(\omega_{c} + 3\omega_{0})t] + ...\}$ CS420/520 Axel Krings Page 36 Sequence 5



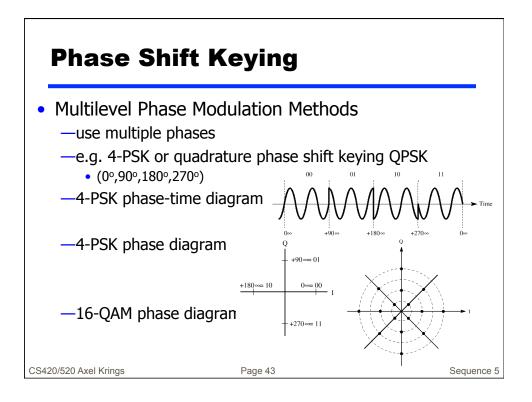


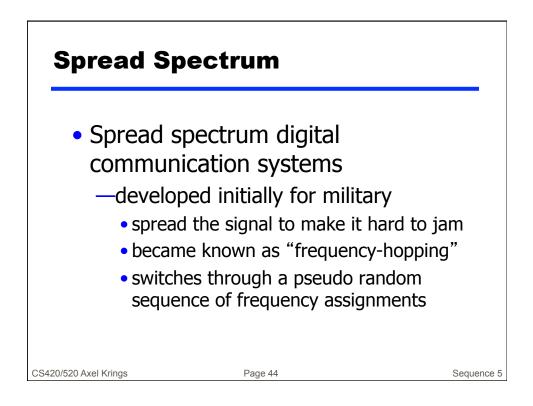


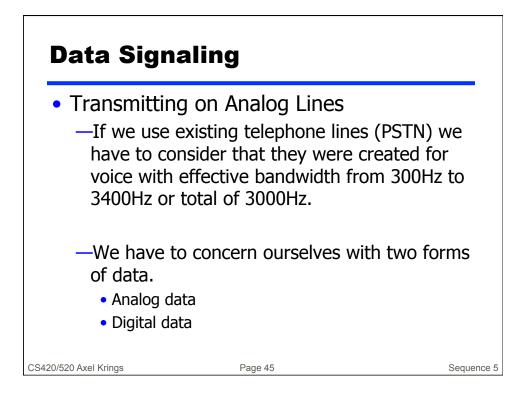


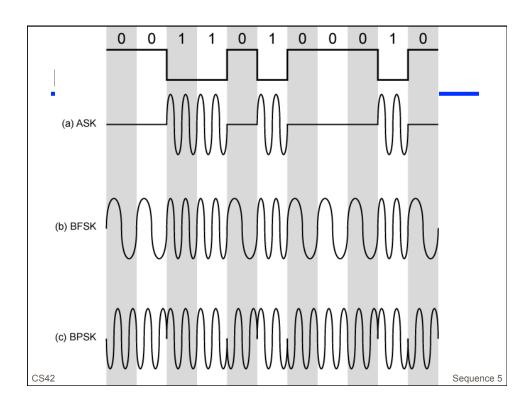


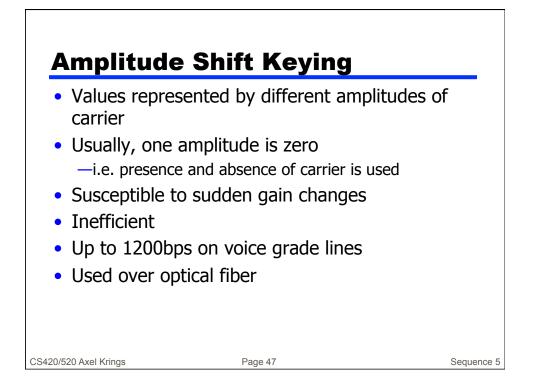
How does PSK work? Carrier and bipolar data signal $v_c(t) = \cos \omega_c t$ $v_d(t) = \frac{4}{\pi} \{\cos \omega_0 t - \frac{1}{3}\cos 3\omega_0 t + \frac{1}{5}\cos 5\omega_0 t - ...\}$ $v_{PSK}(t) = v_c(t) \cdot v_d(t)$ $= \frac{4}{\pi} \{\cos \omega_c t \cdot \cos \omega_0 t - \frac{1}{3}\cos \omega_c t \cdot \cos 3\omega_0 t + ...\}$ With the usual simplification 2 cos A cos B = cos(A - B) + cos(A + B) we get: $v_{PSK}(t) = \frac{1}{\pi} \{\cos(\omega_c - \omega_0)t + \cos(\omega_c + \omega_0)t - \frac{1}{3}\cos(\omega_c - 3\omega_0)t + \cos(\omega_c + 3\omega_0)t + ...\}$ CS420/520 Axel Krings Page 42 Sequence 5

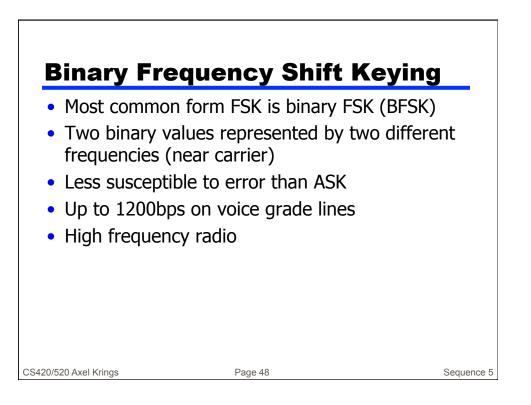


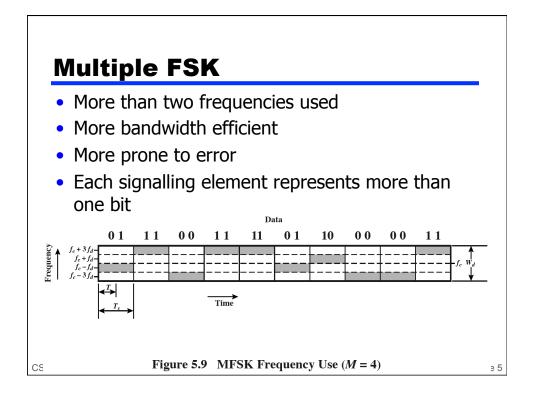


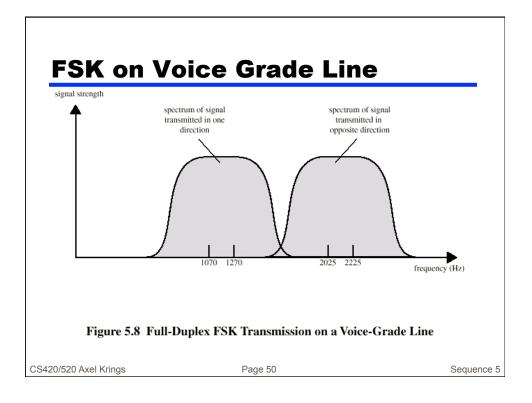


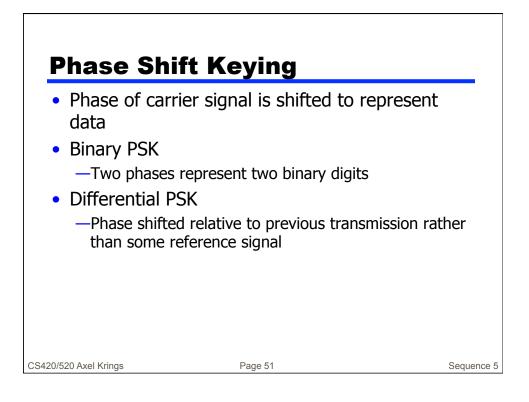


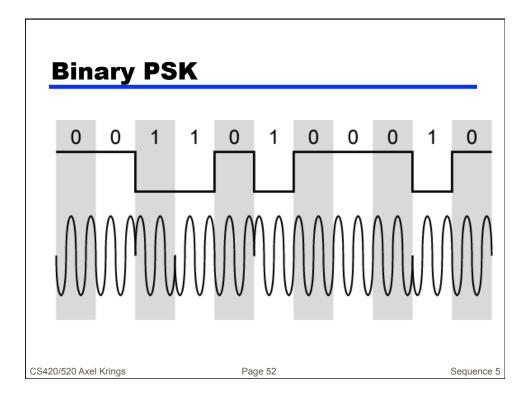


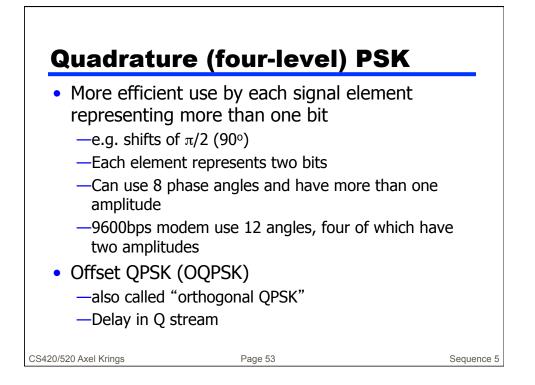


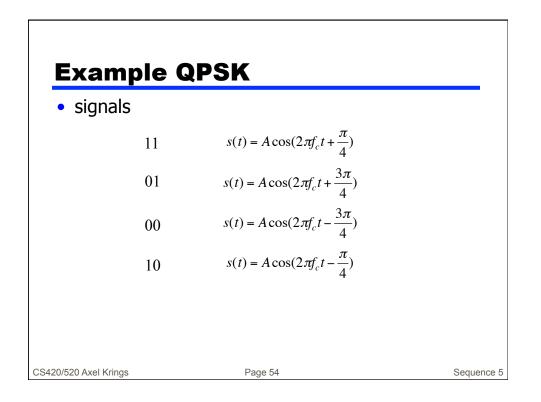


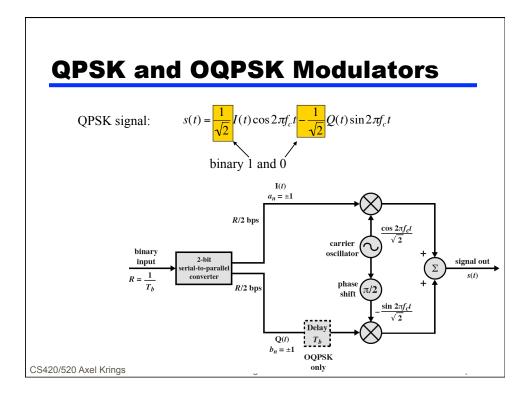


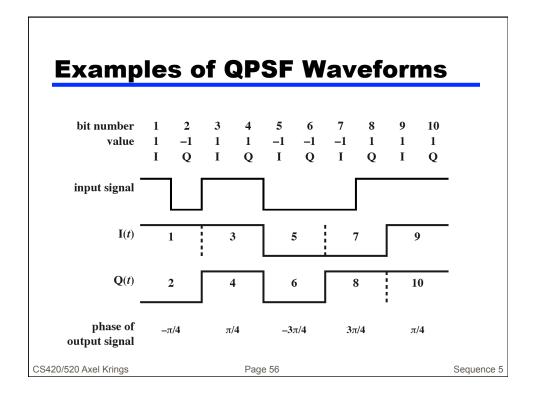


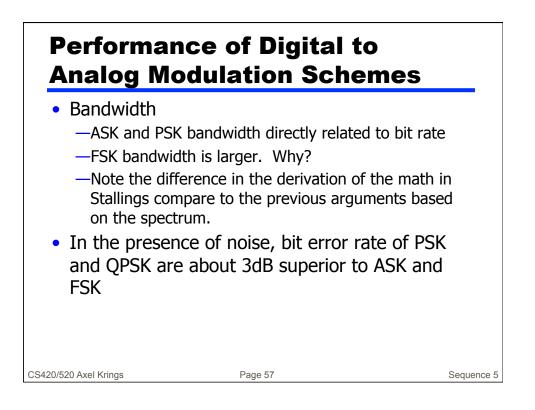










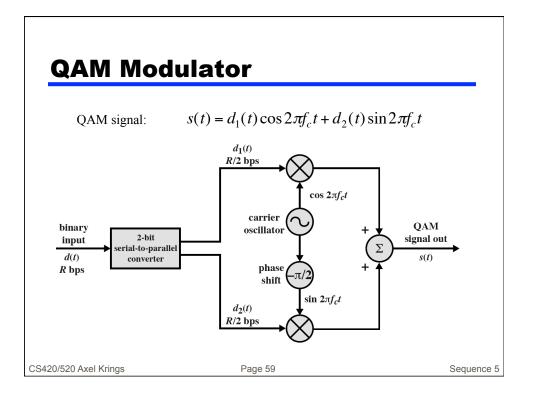


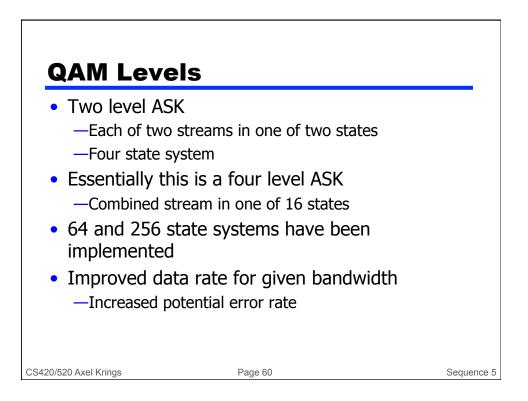
Quadrature Amplitude Modulation

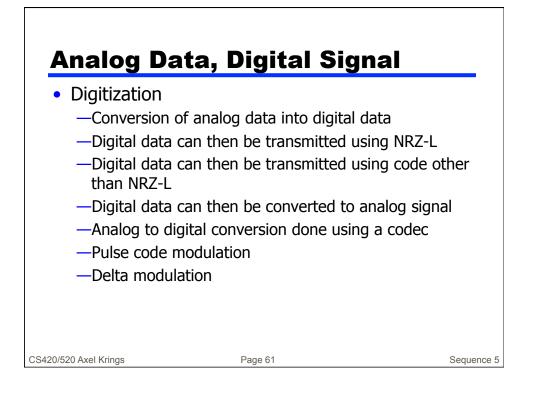
- QAM used on asymmetric digital subscriber line (ADSL) and some wireless
- Combination of ASK and PSK
- Send two different signals simultaneously on same carrier frequency
 - -Use two copies of carrier, one shifted 90°
 - -Each carrier is ASK modulated
 - -Two independent signals over same medium
 - binary 0 = absence of signal, binary 1 = carrier
 - same holds for path that uses the shifted carrier
 - -Demodulate and combine for original binary output

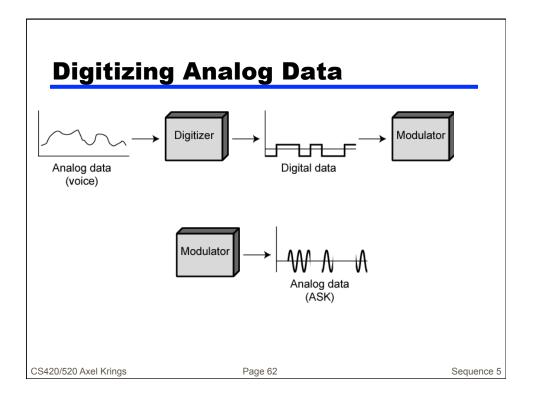
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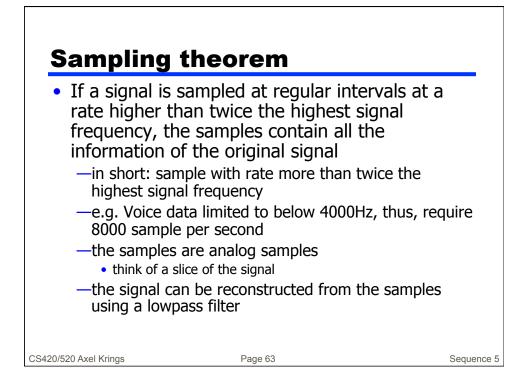
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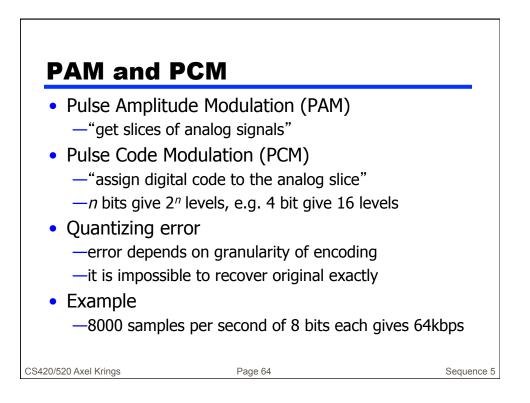


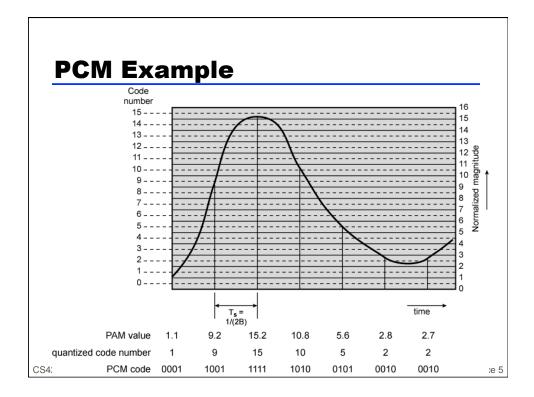


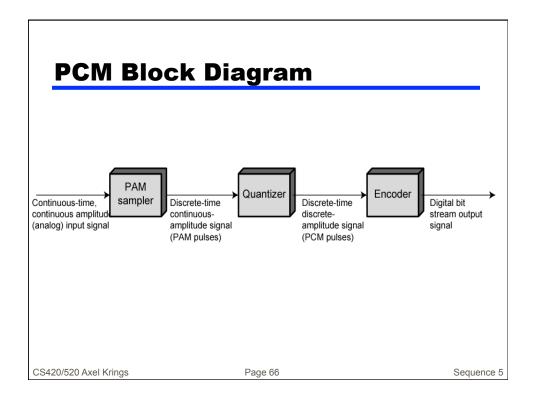


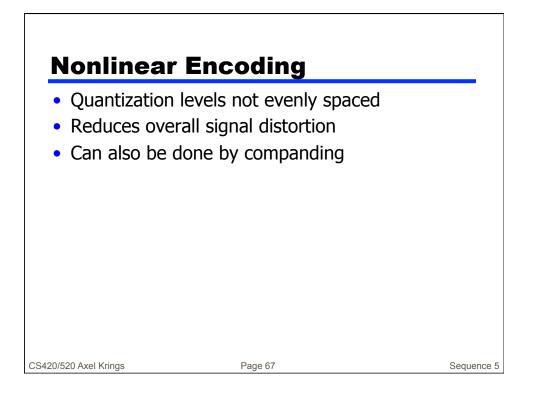


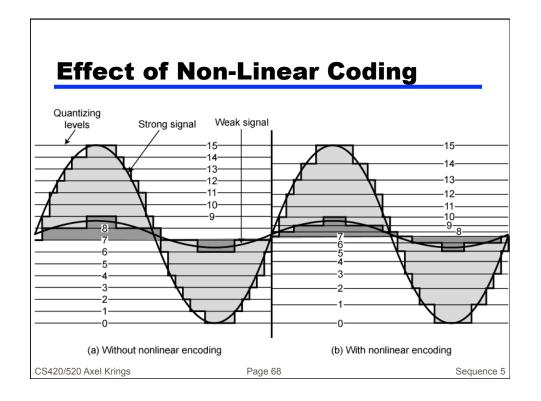


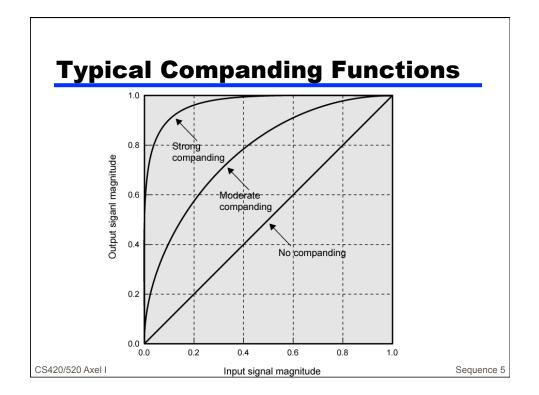












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