























## Shortest Process Next

- Predictions (using simplest calculations)
  - $-T_i$  time for *i*-th instance of process
  - $-S_i$  predicted execution time for *i*-th instance
  - Simplest scenario, e.g. batch processing in burst mode  $1 \sum_{n=1}^{n}$

$$S_{n+1} = \frac{1}{n} \sum_{i=1}^{n} T_i$$

- Avoiding recalculating entire sum

$$S_{n+1} = \frac{1}{n}T_n + \frac{n-1}{n}S_n$$
13

## Shortest Process Next • Previous calculations assumed equal weight • typically give higher weight to recent instances • exponential averaging: $\alpha$ a constant weight factor $(0 < \alpha < 1)$ $S_{n+1} = \alpha T_n + (1-\alpha)S_n$ $S_{n+1} = \alpha T_n + (1-\alpha)\alpha T_{n-1} + ...$ $+ (1-\alpha)^i \alpha T_{n-i} + ... + (1-\alpha)^n S_1$



